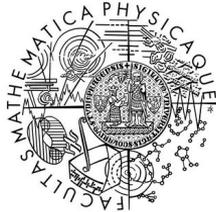


Hard probes of heavy ion collisions with ATLAS

Martin Krivos
for ATLAS collaboration

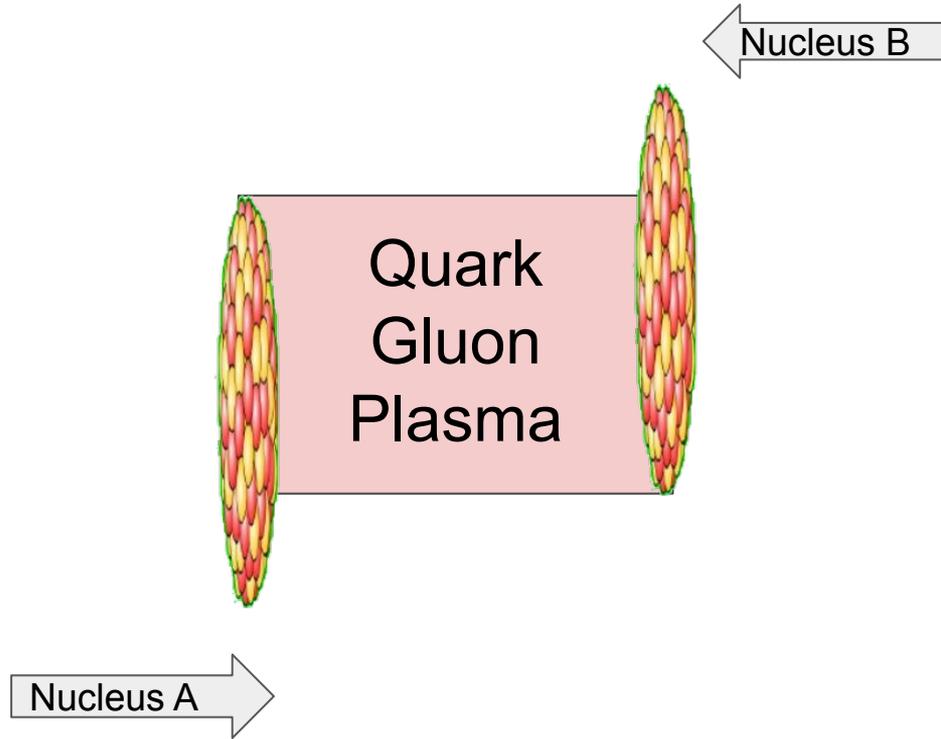


CHARLES UNIVERSITY
Faculty of mathematics
and physics



QCD22 Montpellier

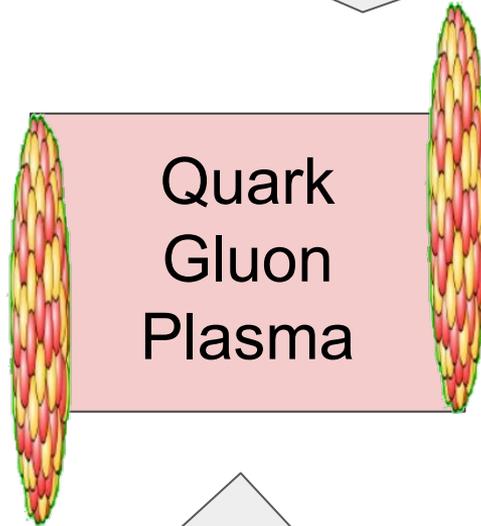
Introduction



Introduction

Properties and degrees of freedom of QGP?

How does the color charge interact and lose energy in the medium?



Quark
Gluon
Plasma

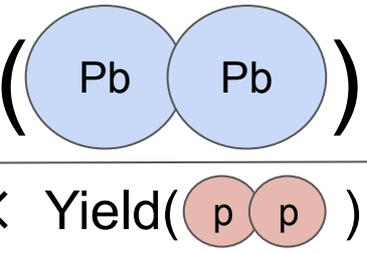
Is there flavour or mass dependence of the energy loss?

How does the hadronization process work?

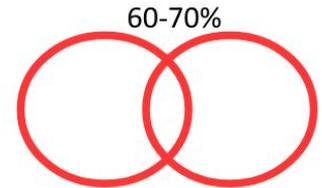
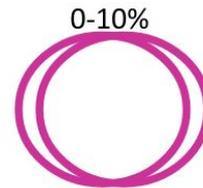
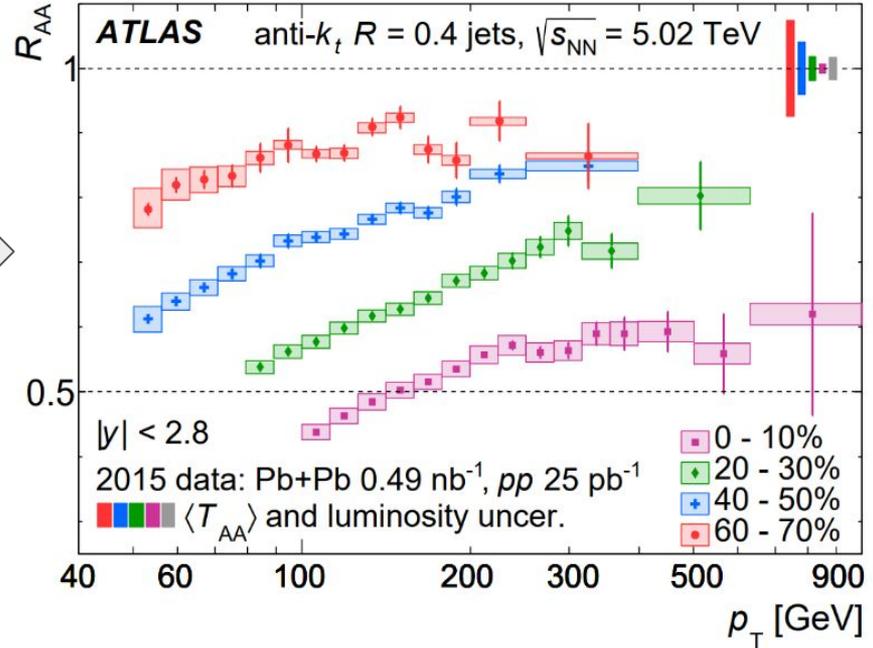
What is the resolution scale of the medium?

Inclusive jet production

Nuclear modification factor:

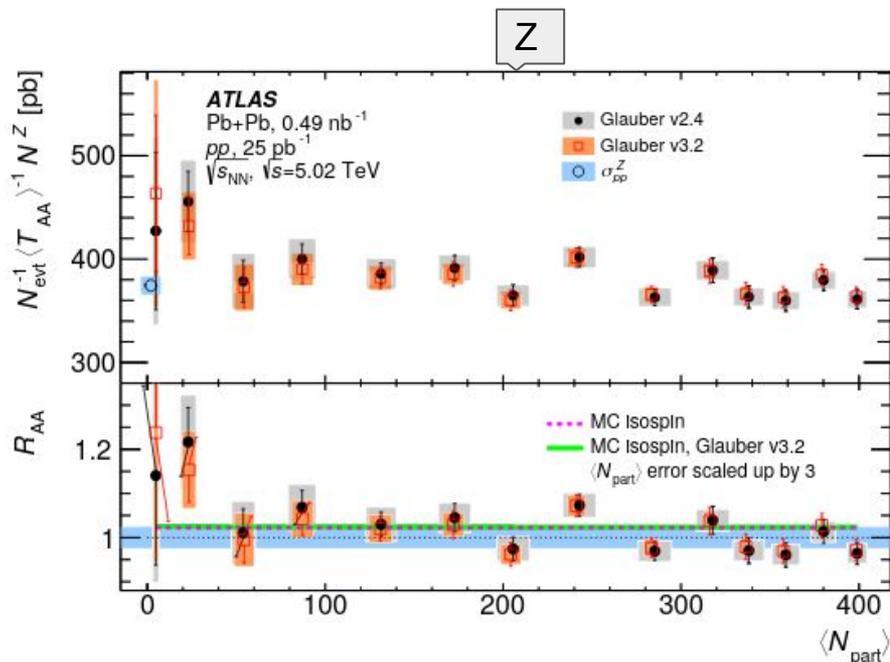
$$R_{AA} = \frac{\text{Yield} \left(\text{Pb Pb} \right)}{N_{\text{coll}} \times \text{Yield} \left(\text{p p} \right)}$$


- $R_{AA} < 1 \rightarrow$ suppression.
- Suppression is stronger for more central collisions.
- While jets are strongly suppressed vector bosons remain unsuppressed (next slide)

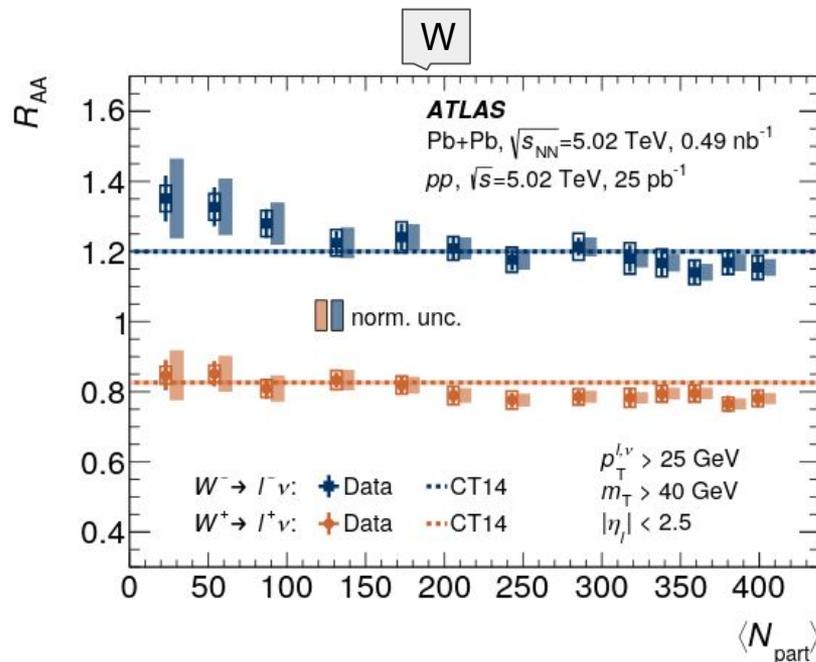


W and Z bosons

W: [arXiv:1907.10414](https://arxiv.org/abs/1907.10414), Z: [arXiv:1910.13396](https://arxiv.org/abs/1910.13396)



- Z^0 consistent with unity



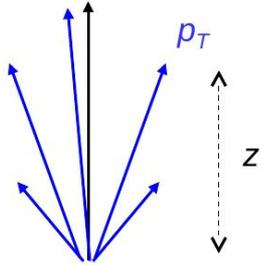
- larger fraction of valence-quarks in Pb nuclei than in protons →
- Deviation from unity → **isospin effect**

$u\bar{d} \rightarrow W^+$ and $d\bar{u} \rightarrow W^-$ processes

D(p_T) and D(z) distributions

[arXiv:1805.05424 \(5.02TeV\)](https://arxiv.org/abs/1805.05424), [PRC 98 \(2018\) 024908](https://arxiv.org/abs/1805.05424), [EPJC 77 \(2017\) 379](https://arxiv.org/abs/1805.05424)

To understand the large jet suppression we need to measure modifications of the jet substructure

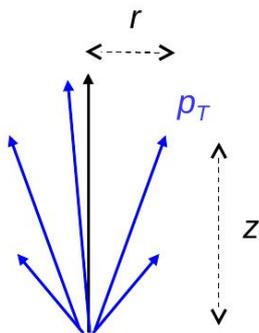


$$z \equiv \frac{p_T}{p_T^{\text{jet}}} \cos \Delta R$$

$$R = \sqrt{\Delta\eta^2 + \Delta\phi^2}$$

D(p_T) and D(z) distributions

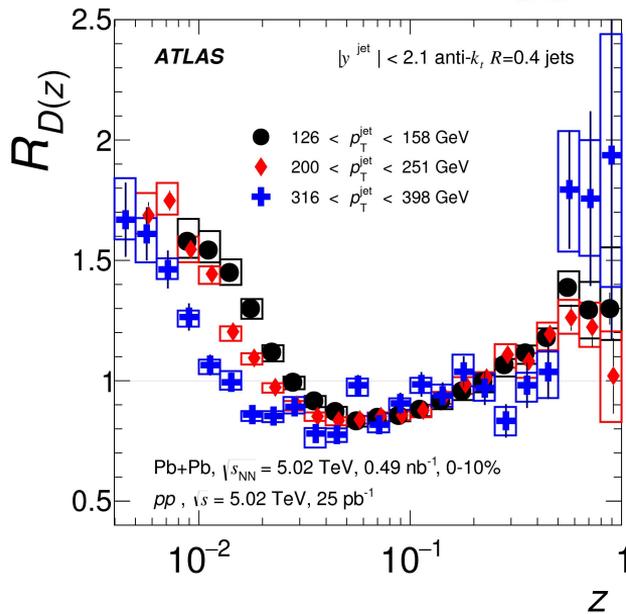
To understand the large jet suppression we need to measure modifications of the jet substructure



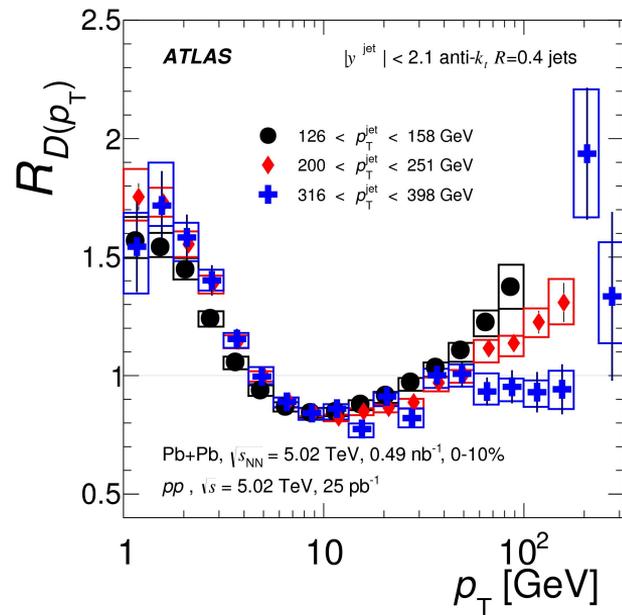
$$z \equiv \frac{p_T}{p_{T, \text{jet}}} \cos \Delta R$$

$$R = \sqrt{\Delta\eta^2 + \Delta\phi^2}$$

$$R_{D(z)} \equiv \frac{D(z)_{\text{PbPb}}}{D(z)_{pp}}$$



$$R_{D(p_T)} \equiv \frac{D(p_T)_{\text{PbPb}}}{D(p_T)_{pp}}$$



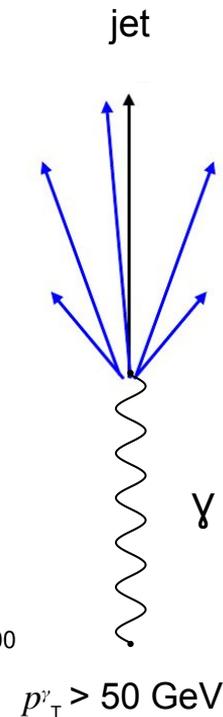
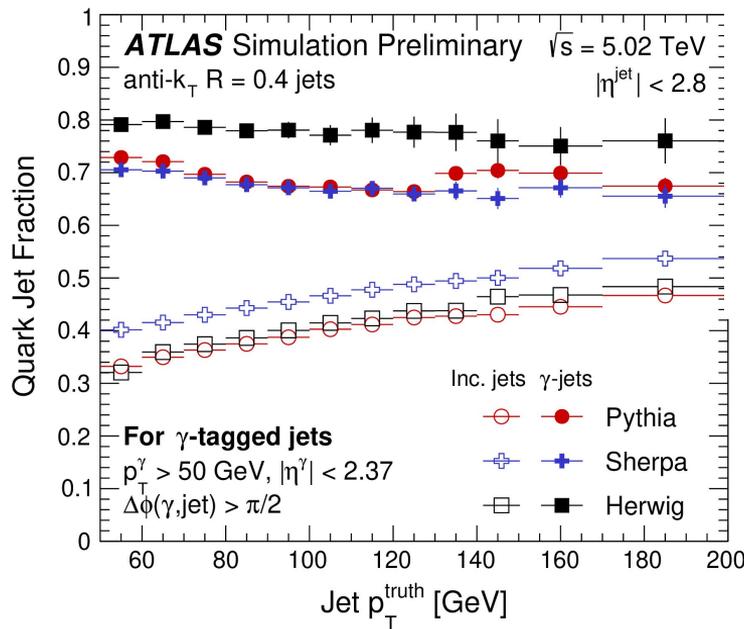
Enhancement -> Suppression -> Enhancement

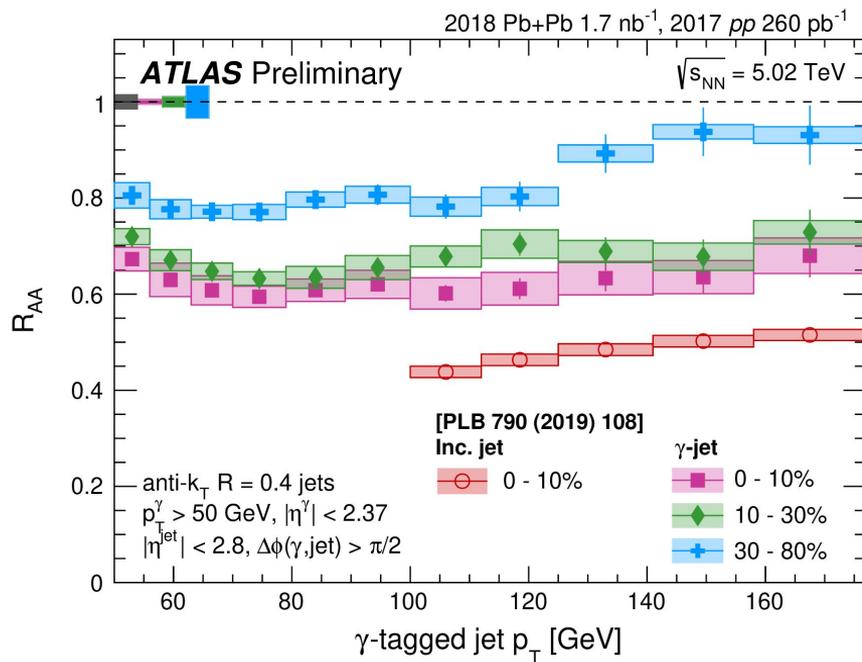
- Q: Is there flavour dependence of the energy loss?

- Motivation:

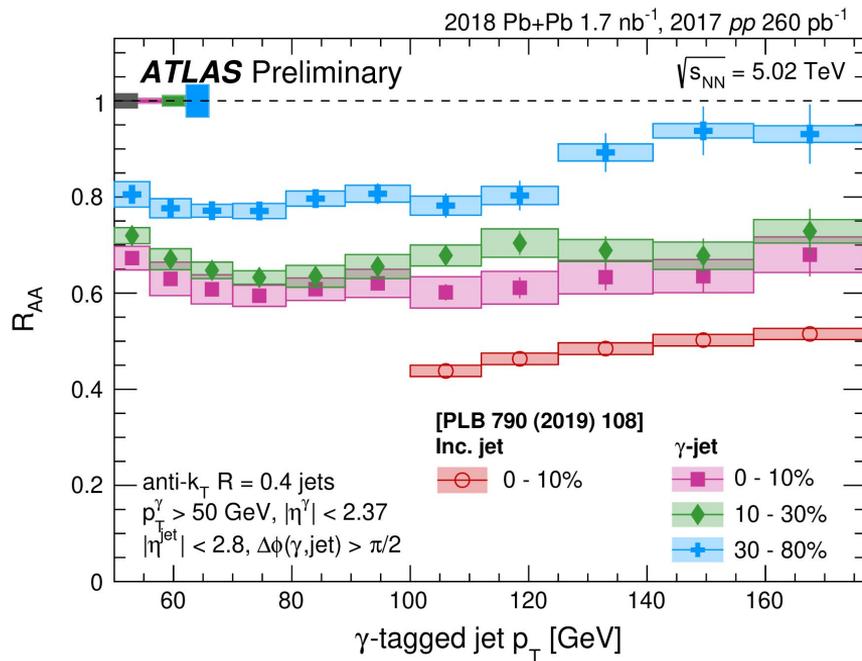
- Get lower in p_T
- Removes the survival bias
- γ -tagging constrains the jet flavor

- Quark initiated jets are dominant

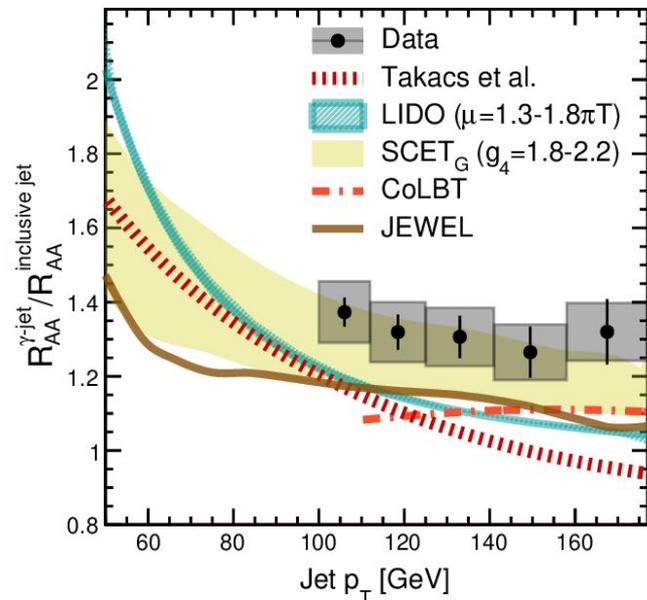




Suppression is present



Suppression is present



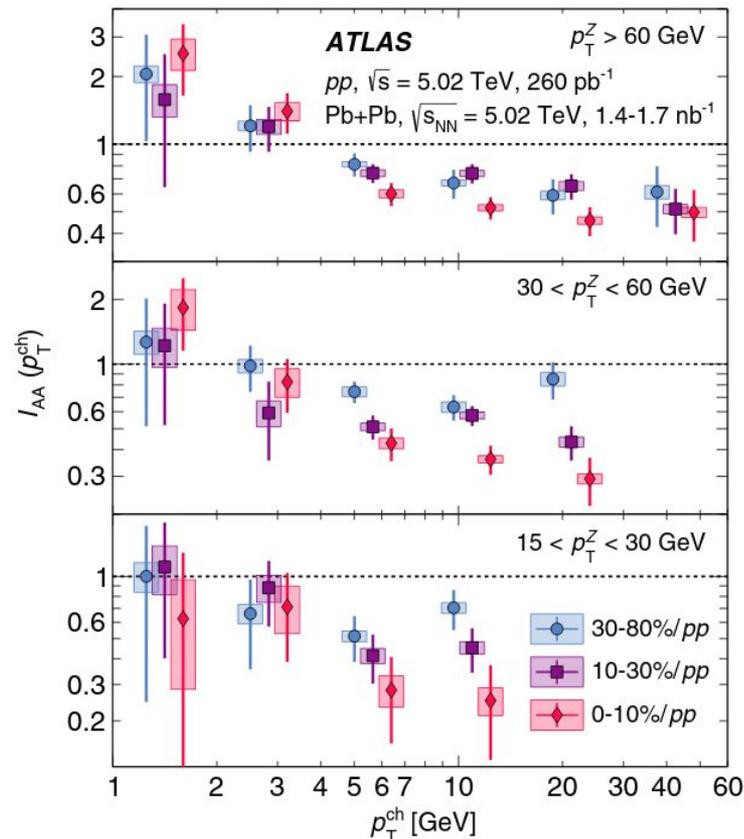
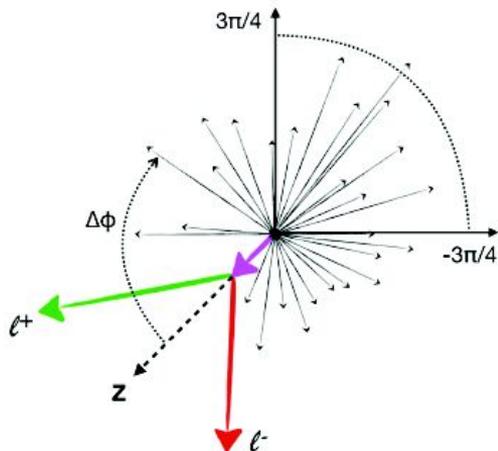
- Ratio $> 1 \rightarrow$ visible effect from colour difference
- Quarks lose less energy than gluons

- Motivation:
 - Get lower in p_T
 - Removes the survival bias
 - Z-tagging constrains the jet flavor

- Ratio of per-Z yields:

$$I_{AA} = Y_{\text{Pb+Pb}} / Y_{pp}$$

- No explicit jet required



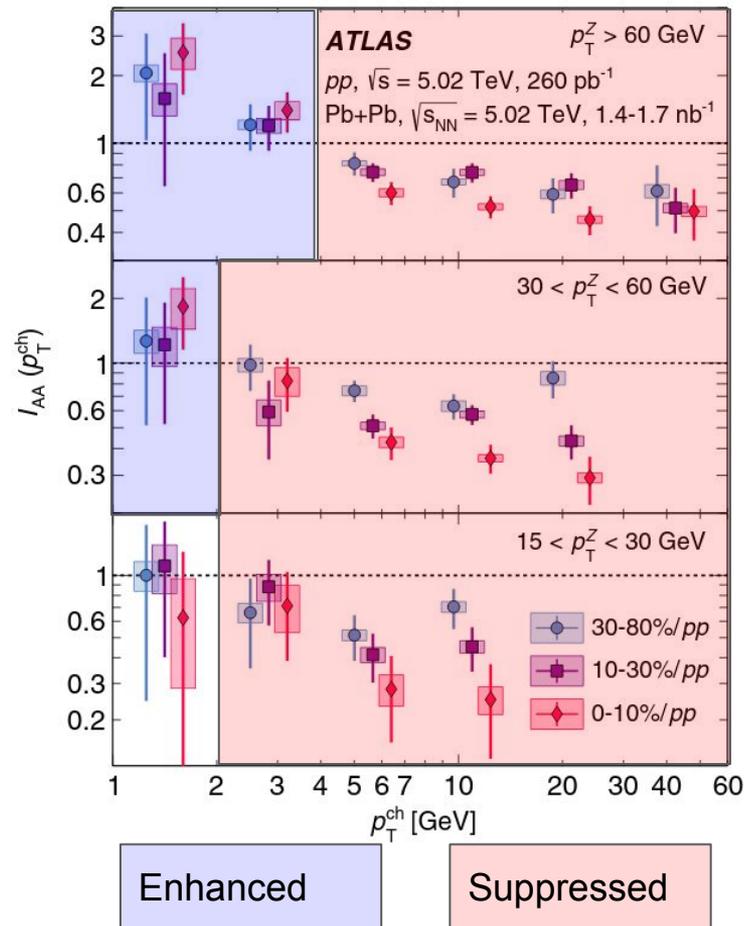
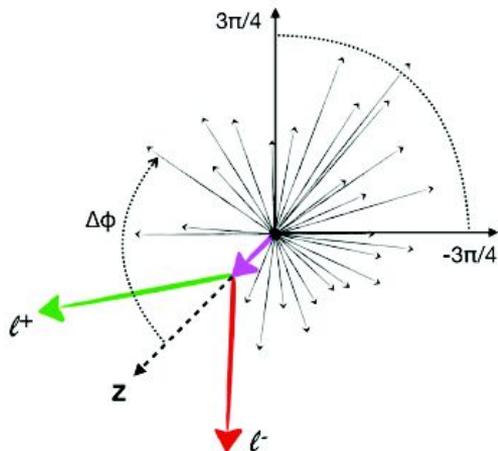
Z-tagged charged particles

- Motivation:
 - Get lower in p_T
 - Removes the survival bias
 - Z-tagging constrains the jet flavor

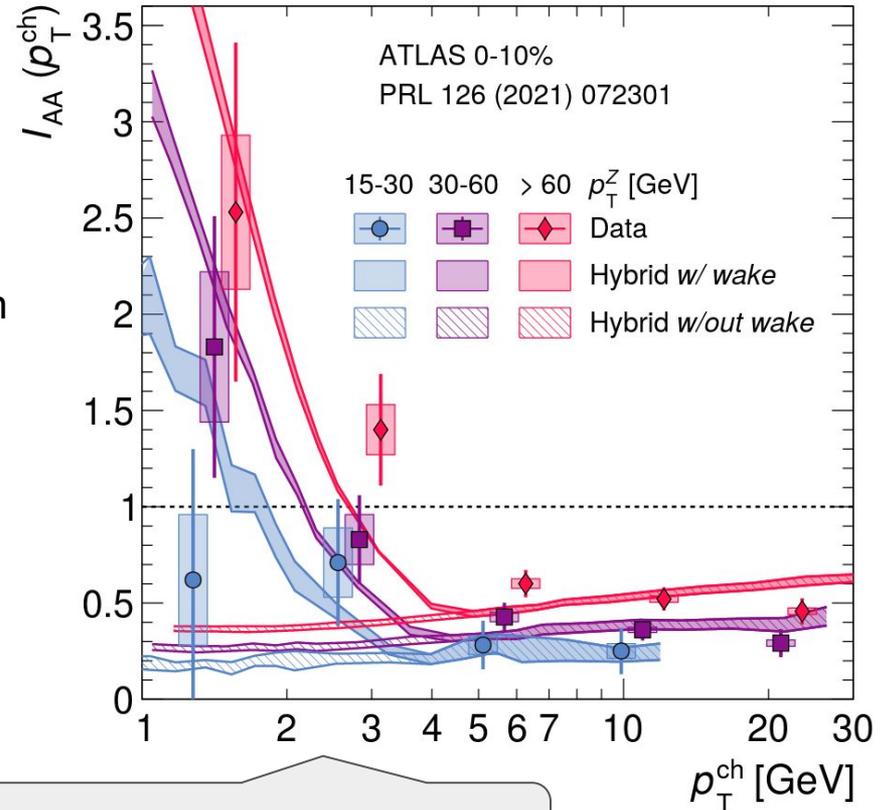
- Ratio of per-Z yields:

$$I_{AA} = Y_{\text{Pb+Pb}} / Y_{pp}$$

- No explicit jet required



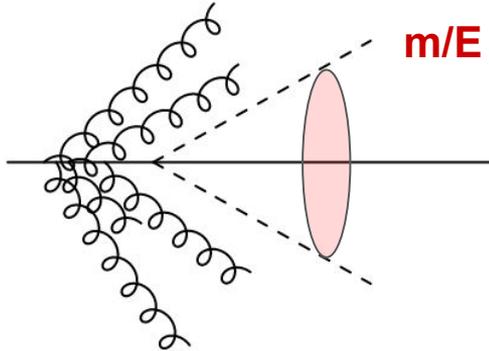
- **Larger amplitude**
 - smaller $Z p_T$
- 0-10% centrality JEWEL theoretical prediction describes the trends



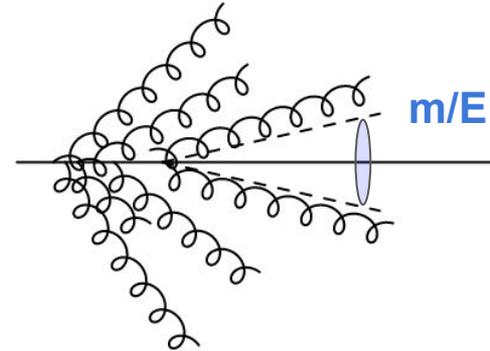
Wake is important in low p_T region

Q: Is there mass dependence of the energy loss?

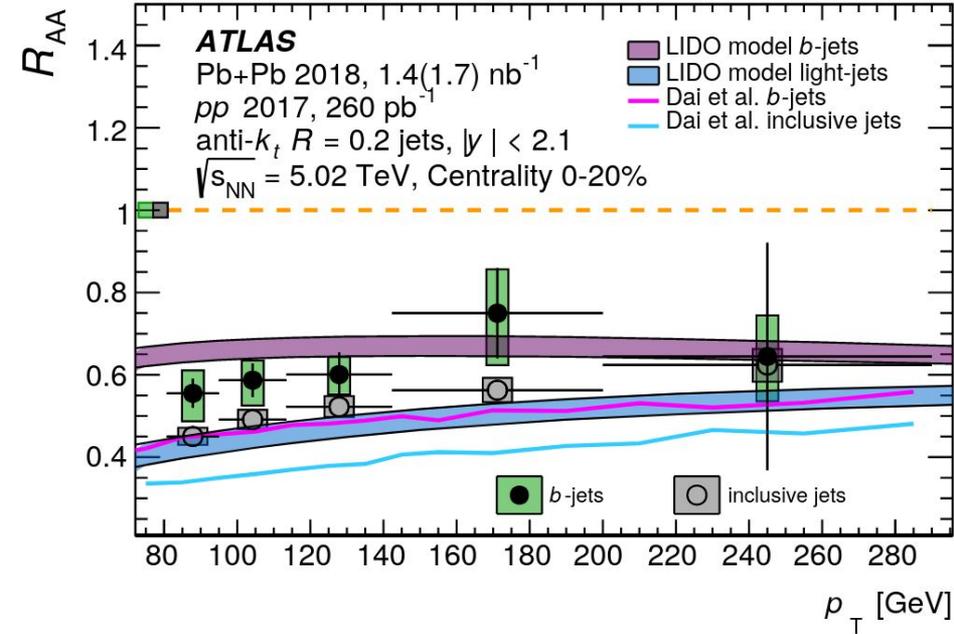
Dead cone effect:



Heavy-tagged jets

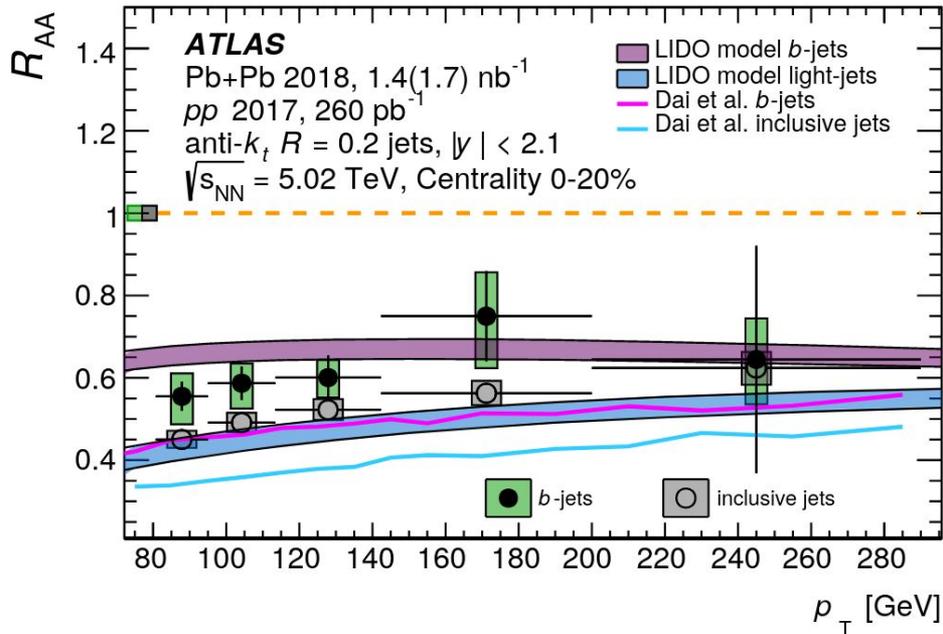


Inclusive jets - lighter quarks

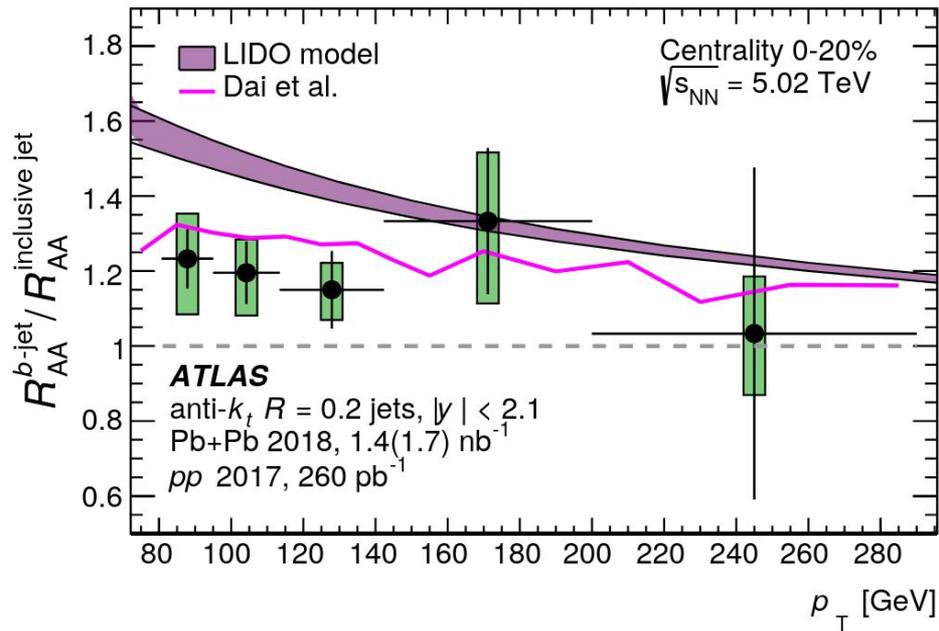


Less suppression of b-jets than inclusive jets

b-tagged jets

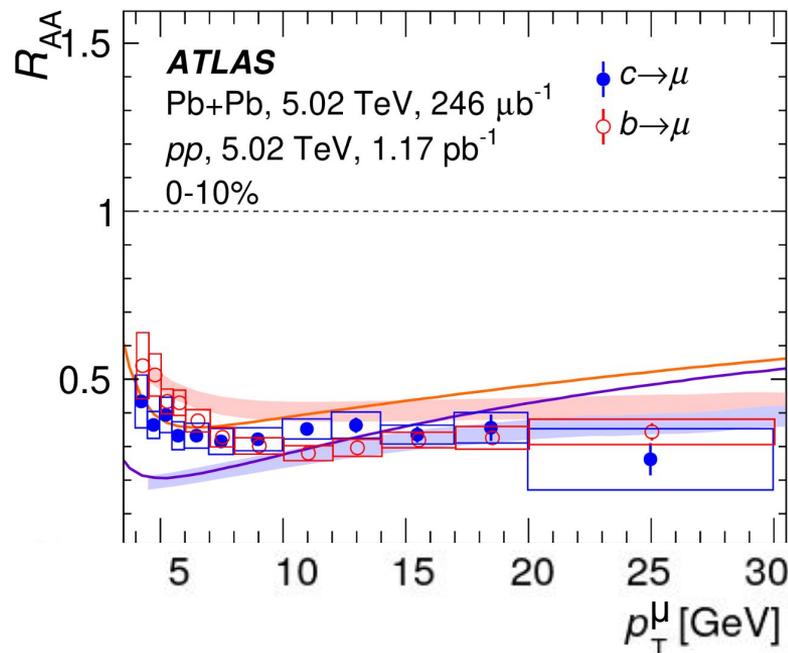


Less suppression of b-jets than inclusive jets

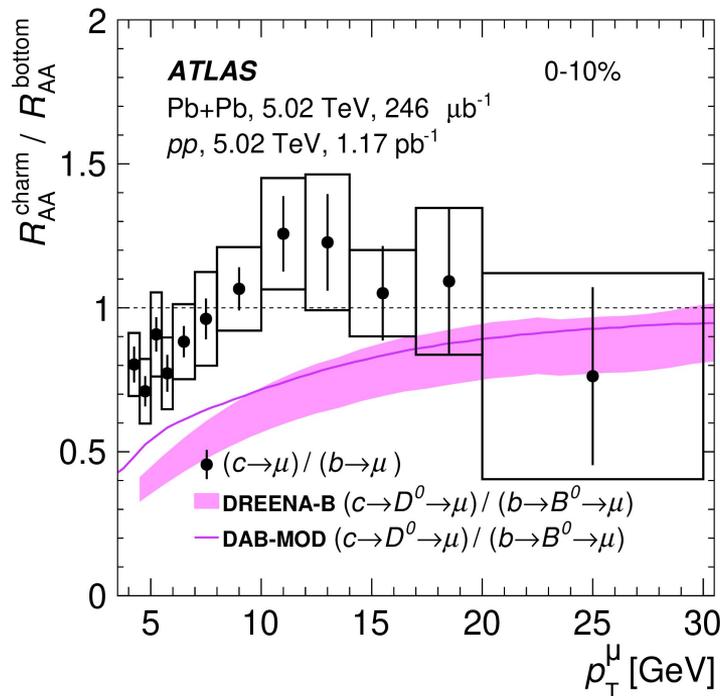


$R_{AA}(\text{b-jet}) / R_{AA}(\text{inc. jet}) \sim 20\%$ above unity

Central collisions: 0 - 10%

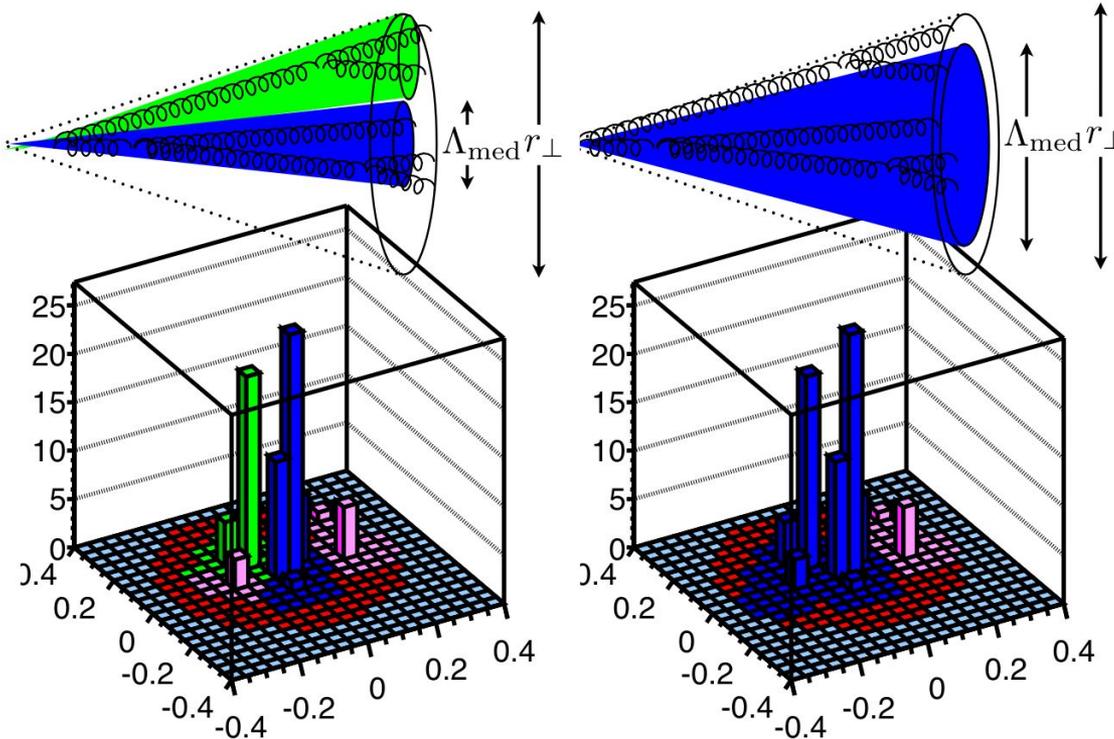


- Low p_T : charmonia suppressed more than B-hadrons
- High p_T : About the same suppression (mass is less important)

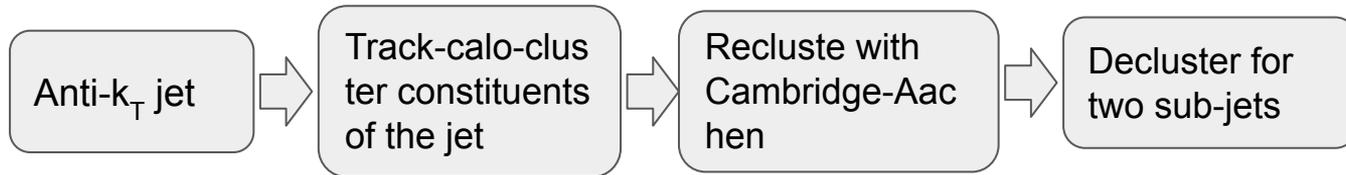


- Underprediction at low p_T from charmonia model

Q: What is the resolution scale of the medium?



Grooming procedure:

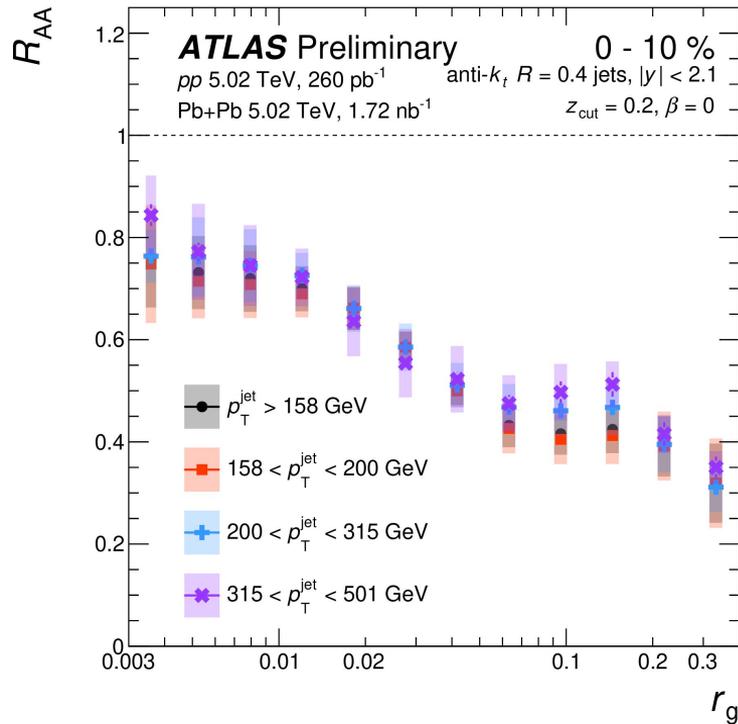


Soft-drop condition:

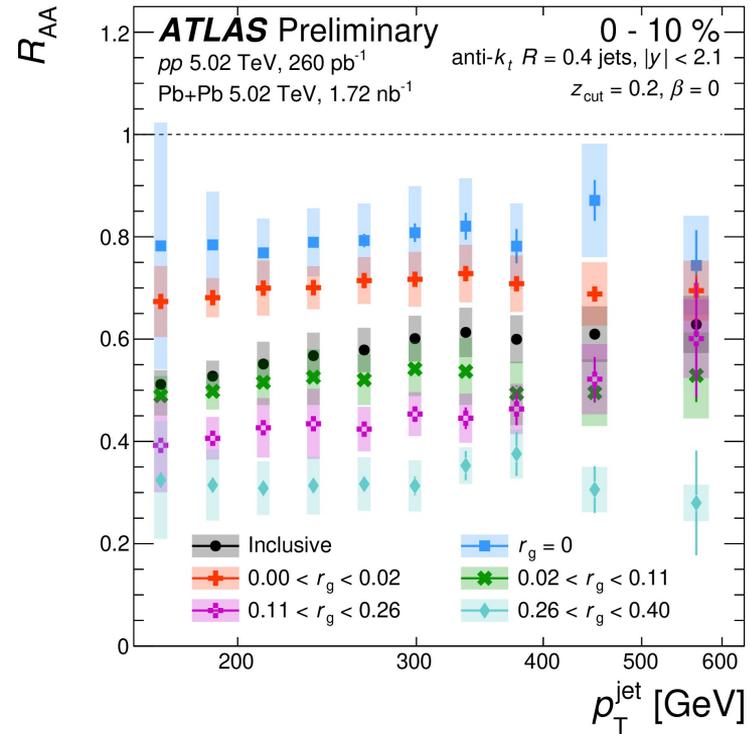
$$\frac{\min(p_T^{sj_1}, p_T^{sj_2})}{p_T^{sj_1} + p_T^{sj_2}} > z_{\text{cut}} \left(\frac{\Delta R_{12}}{R} \right)^\beta$$

$r_g = \Delta R_{j_1, j_2} \rightarrow r_g > 0 \rightarrow$ jet has substructure
 $\rightarrow r_g = 0 \rightarrow$ jet does not have substructure

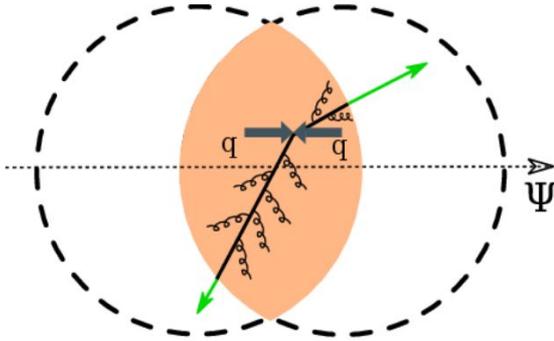
$$\Delta R_{12} = \sqrt{\Delta \eta_{12}^2 + \Delta \phi_{12}^2}$$



Strong r_g dependence

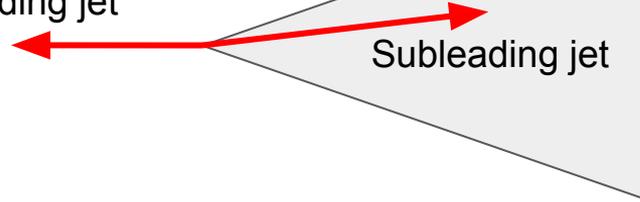


Weak p_T dependence



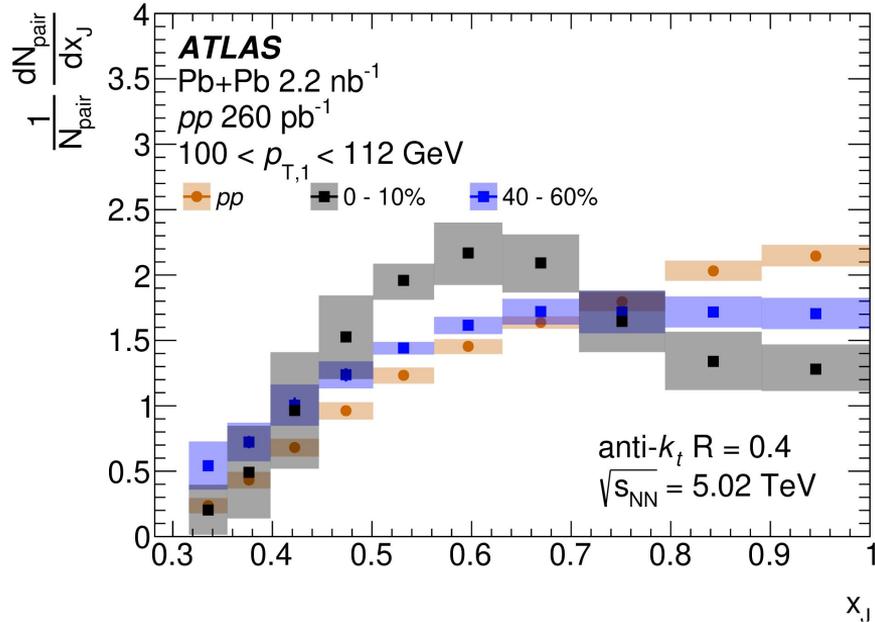
Path length energy loss

Leading jet



$\Delta\phi = \frac{7}{8} \pi$ opposite
leading jet

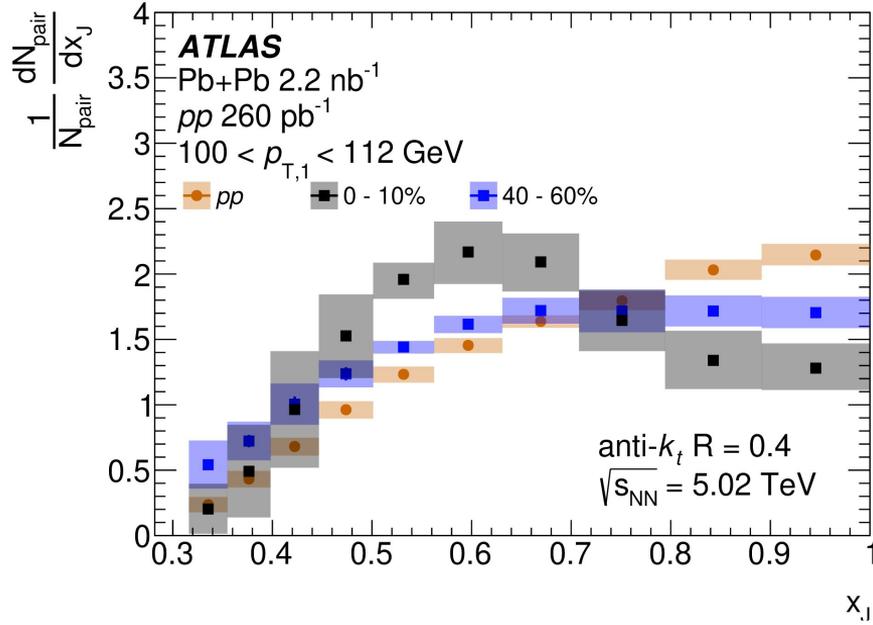
$$x_J = \frac{p_{T2}}{p_{T1}}$$



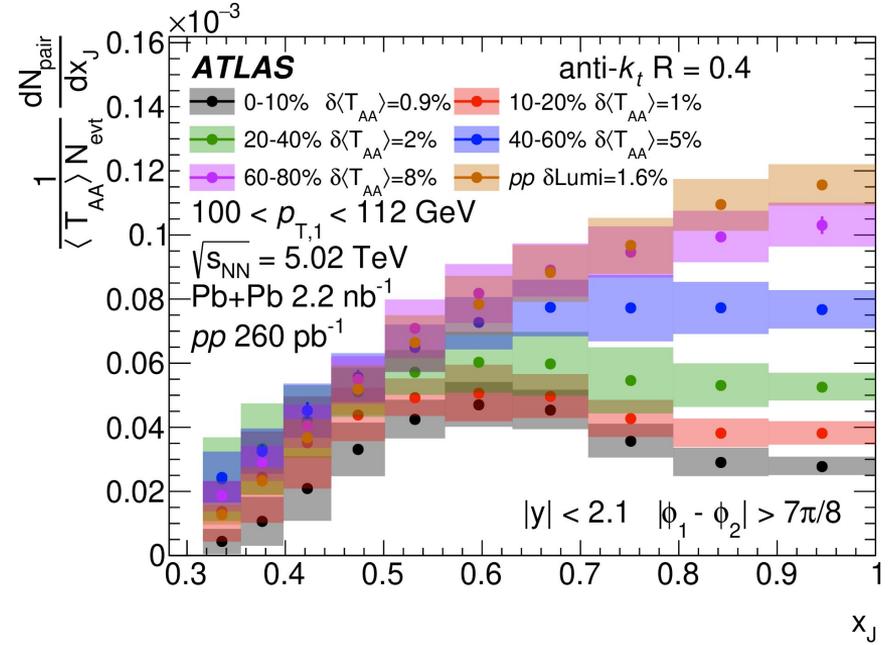
- Broadening of x_J for low cent. and p_T
- High $p_T \rightarrow$ no visible broadening. (not shown)

Dijet balance

$$x_J \equiv p_{T2}/p_{T1}$$

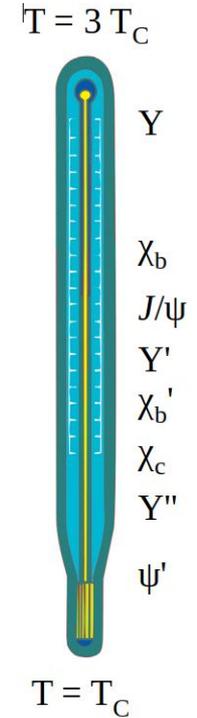


- Broadening of x_J for low cent. and p_T
- High $p_T \rightarrow$ no visible broadening. (not shown)



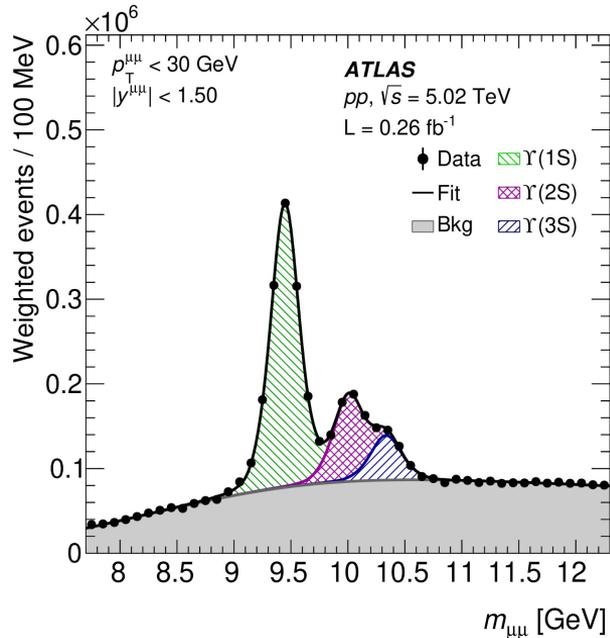
- Not low x_J increase, but rather high x_J decrease

- The theory predicts sequential melting dependent on the binding energy
- Good analogy with Debye screening

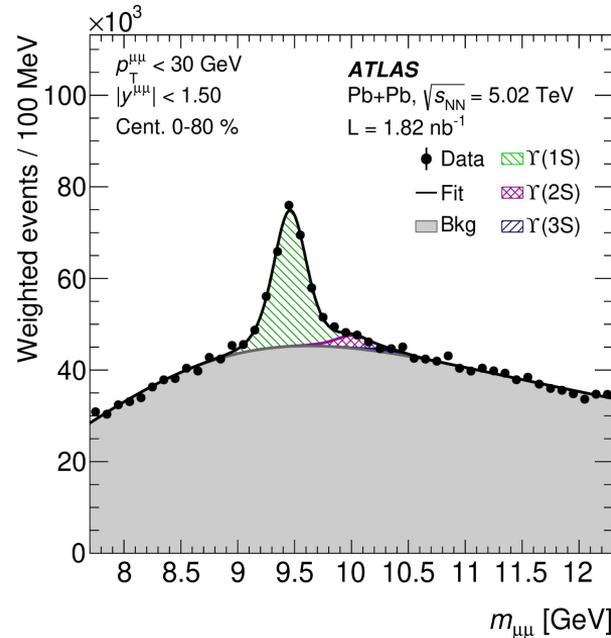


Upsilon suppression

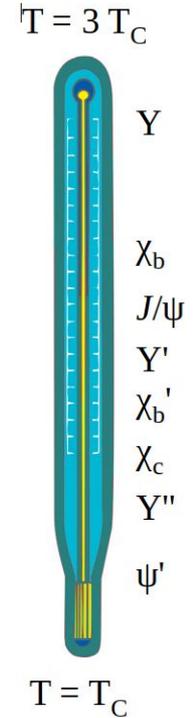
- The theory predicts sequential melting dependent on the binding energy
- Good analogy with Debye screening

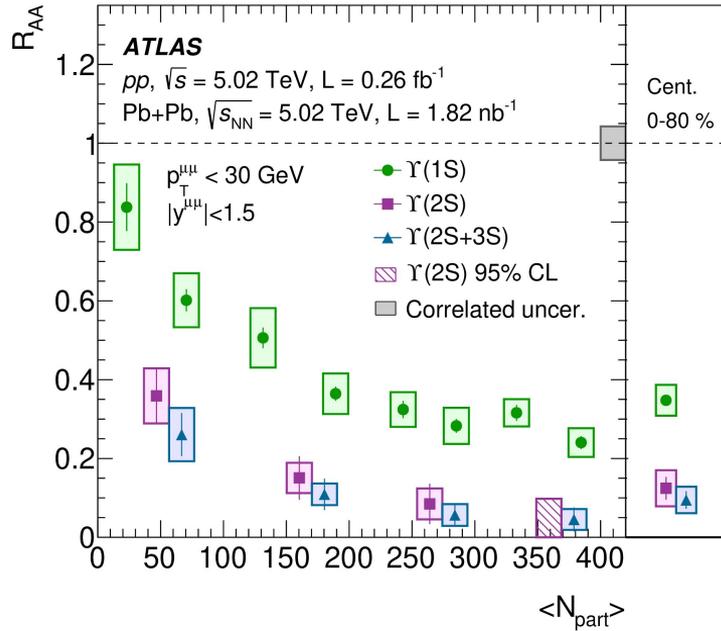


proton-proton

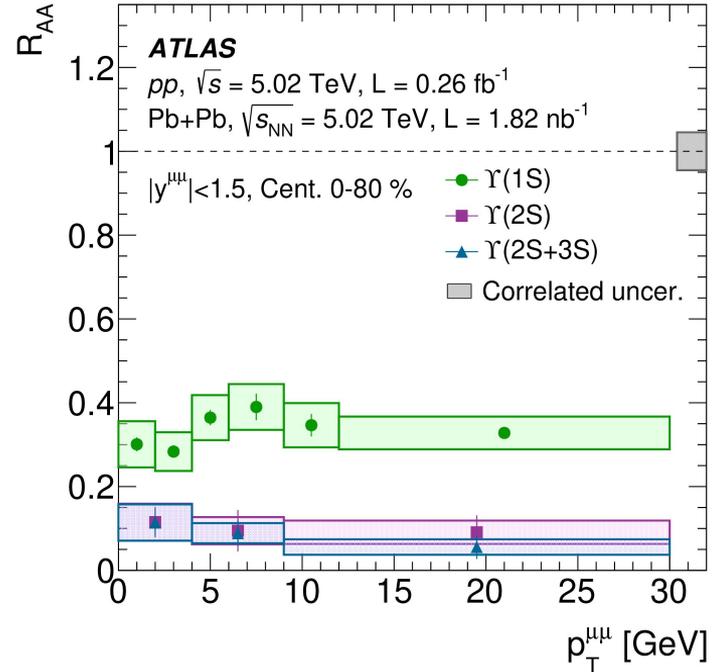


Pb+Pb





- Expected suppression hierarchy confirmed:
 $1S < 2S < (2+3)S$



- No strong p_T or $|y|$ dependence is observed.

Summary

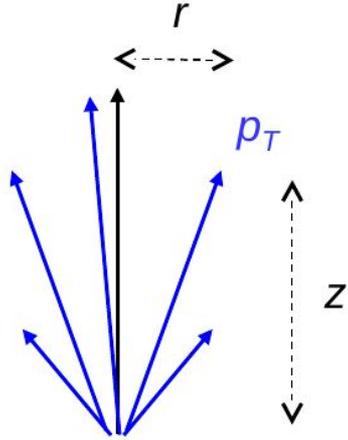
- Presence of QGP is affecting produced particles in the scattering process
- Significant suppression in Pb+Pb wrt pp collisions reported for:
 - inclusive jets, γ -tagged jets, and b-tagged jets
 - B and D mesons
 - charmonia and bottomonia
- Substructure of the jets is studied to better understand the mechanism of energy loss
- To understand the role of fluctuations and path-length in the jet quenching the dijet suppression is quantified

Thank you for your attention

Questions?

Backup slides

To understand the large jet suppression we need to measure modifications of the jet substructure

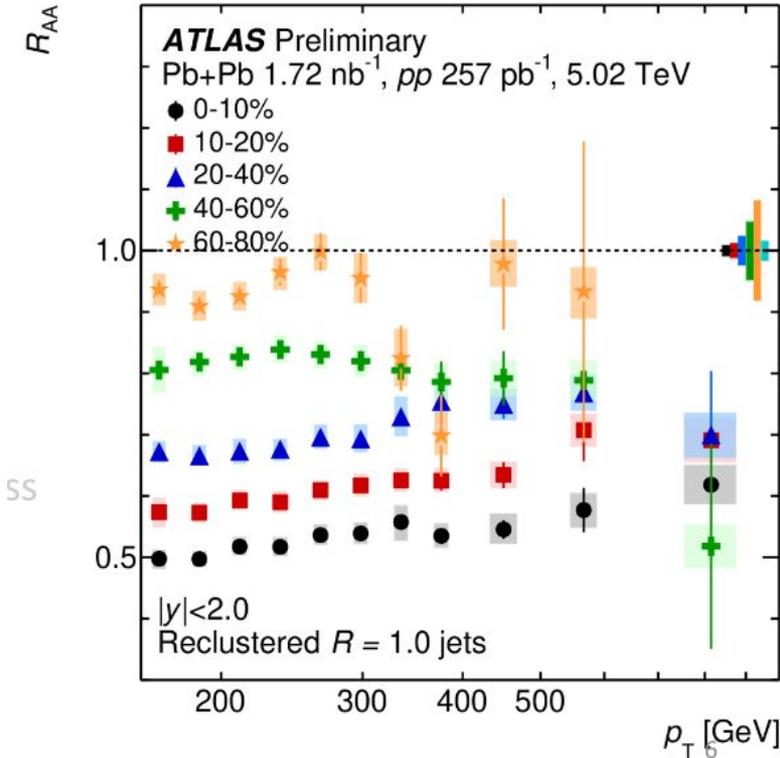


$$D(z) = \frac{1}{N_{jet}} \frac{dN}{dz}$$

$$D(p_T) = \frac{1}{N_{jet}} \frac{dN}{dp_T}$$

$$R = \sqrt{\Delta\eta^2 + \Delta\phi^2}$$

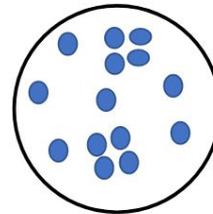
Reclustered R = 1 Jets



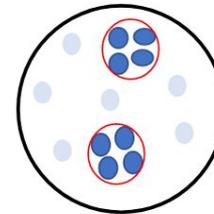
- First measurement of large-R heavy-ion jets
- R=0.2 jets with $p_T > 35$ GeV reclustered using anti- k_T
 - Soft contribution removed
 - Recluster with anti- k_T
 - Allows to study k_T splitting scale
- Observe suppression up to 1 TeV

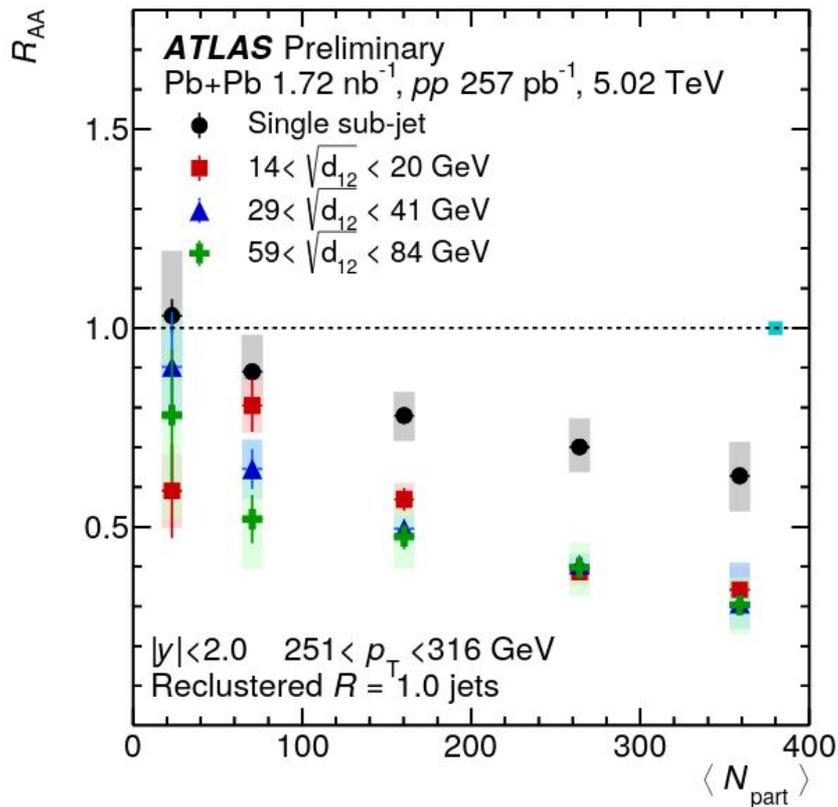
$$\sqrt{d_{12}} = \min(p_{T,1}, p_{T,2}) \cdot \Delta R_{12}$$

Traditional R=1.0 Jet



Reclustered R=1.0 Jet

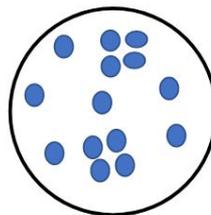




- Jets with single sub jet are less suppressed

$$\sqrt{d_{12}} = \min(p_{T,1}, p_{T,2}) \cdot \Delta R_{12}$$

Traditional $R=1.0$ Jet



Reclustered $R=1.0$ Jet

